

AREC 815: Experimental and Behavioral Economics

Applications of Dynamic Inconsistency: Addiction

Professor: Pamela Jakiela

Department of Agricultural and Resource Economics
University of Maryland, College Park

Addiction in the Quasi-Hyperbolic Model

Characterizing Addictive Goods

- What does it mean to be addictive?
 - ▶ Dictionary defines addiction in terms of “physical dependency”
- Economic characterization of **addictive goods**:
 - ▶ **Negative externalities**: past consumption lowers current utility, regardless of current level of consumption
 - ▶ **Habit formation**: past consumption increases the utility of current consumption (for example, via withdrawal costs)

Is Addiction Rational?

- Economic definition of addictive emphasizes individual choice
 - ▶ Willingness to trade current-period benefit for future costs implies impatience, but not irrationality or lack of agency
- Standard model of “rational” addiction (Becker-Murphy 1988):
 - ▶ Agents recognize goods are addictive
 - ▶ Choose utility-maximizing consumption plan
 - ▶ Implication: addiction results from individual optimization

Is Addiction Rational?



- Extensions to rational model:
 - ▶ *Ex ante* uncertainty about consequences, addictiveness
 - ▶ Possibility of regret, *ex ante* vs. *ex post* optimality
- Evidence supporting rational addiction model:
 - ▶ Individuals *choose* whether to consume addictive goods
 - ▶ Responses to price changes \Rightarrow forward-looking behavior

Is Addiction Rational?

- Evidence against rational addiction model:
 - ▶ Willingness to pay for commitment devices
 - ▶ Over-estimation of probability of exiting addiction
- Quasi-hyperbolic time preferences explain these phenomena

Utility from Addictive Substances

- Three types: time consistent (TC), naif, sophisticate
- In each period, agents decide whether to “take a hit” of an addictive substance ($a_t = 1$) or to refrain from hitting ($a_t = 0$)
- Consumption utility, u_t , in each period depends only on current and past consumption of addictive good
- An individual is addicted ($k_t = 1$) if she took a hit last period, and is otherwise unaddicted ($k_t = 0$): $k_t = a_{t-1}$

Utility from Addictive Substances

- Consumption utility within each period:

$$u_t(a_t, k_t) = \begin{cases} x_t - \rho k & \text{if } a = 1 \\ 0 - (\rho + \sigma) k & \text{if } a = 0 \end{cases}$$

- Interpretation:
 - ▶ ρ = internality cost
 - ▶ σ = withdrawal cost (due to habit-formation)
- Stationary utility model: $x_t = \bar{x}$ for $t = 1, 2, 3, \dots$

Utility from Addictive Substances

- Special case of more general framework:

$$u_t(a_t, k_t) = \begin{cases} x_t + f(k_t) & \text{if } a = 1 \\ y_t + g(k_t) & \text{if } a = 0 \end{cases}$$

where:

- ▶ Negative externalities when $f'(k) < 0$ and $g'(k) < 0$
- ▶ Habit forming when $f'(k) - g'(k) > 0$
- Results from simple model extend to general case (above), and to situations where addiction level is continuous function of past consumption

Utility from Addictive Substances

Consumption Utility		
	Unaddicted ($k_t = 0$)	Addicted ($k_t = 1$)
Hitting ($a_t = 1$)	\bar{x}	$\bar{x} - \rho$
Refraining ($a_t = 0$)	0	$0 - (\rho + \sigma)$

- **Temptation to hit:** $u_t(1, k_t) - u_t(0, k_t)$
 - ▶ Temptation to hit when unaddicted: \bar{x}
 - ▶ Temptation to hit when addicted: $\bar{x} + \sigma$

Utility from Addictive Substances

- Future costs of hitting depend on beliefs about future behavior
- Three types of beliefs about future:
 - ▶ Future self will **start**: regardless of current behavior, expect to hit in period two and every subsequent period
 - ▶ Future self will **continue**: expect to hit in every future period if and only if one hits in period one
 - ▶ Future self will **quit**: expect to refrain in every future period regardless of current behavior
- Optimal current action depends on beliefs about future

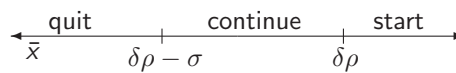
Choosing to Hit: Three Period Example

- Preferences at time $t = 1$ represented by the utility function
$$u_1 + \beta\delta u_2 + \beta\delta^2 u_3$$
- All types hit at $t = 3$
- When is it rational to become addicted?
 - ▶ When getting addicted yields higher lifetime utility than sobriety

When Will TCs Choose to Hit?

Claims about time consistent types:

- An unaddicted TC starts at $t = 1 \Leftrightarrow \bar{x} \geq \delta\rho$
- A TC type never starts hitting expecting to quit



When Will TCs Choose to Hit?

- The TC strategy for getting addicted is stationary
 - ▶ Starts $\Leftrightarrow \bar{x} \geq \delta\rho$
- TC behavior = long-run welfare maximizing behavior
- Cutoffs also characterize what a naif believes she will do at $t = 2$
 - ▶ Naif believes her future self is TC
- Given these beliefs about future actions, what will a naif do?

When Will a Naif Choose to Hit?

- Conclusion: an unaddicted naif will hit at $t = 1$

$$\bar{x} \geq \min \left\{ \beta\delta(\rho + \sigma), \left[\frac{\beta\delta(1 + \delta)}{1 + \beta\delta} \right] \rho \right\}$$

- Comments:
 - ▶ A naif is more likely to hit than a TC
 - ▶ Naifs may hit expecting to quit the following period
- What does a naif actually do at $t = 2$?
 - ▶ This is also what a sophisticate expects to do at $t = 2$

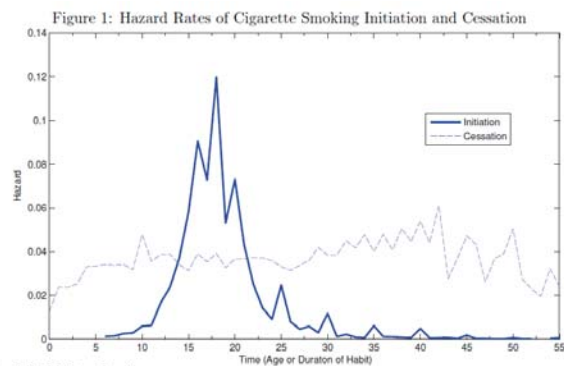
When Will a Sophisticate Choose to Hit?

- Claim: unaddicted sophisticates hit at $t = 1 \Leftrightarrow \bar{x} \geq \beta\delta\rho$
- Implication: unaddicted sophisticates more likely to hit than naifs
 - ▶ **Pessimism effect**
- Sophisticates are “worse off” than naifs in the stationary utility case?
 - ▶ More likely to *become* addicted
- Sophisticates likely to be better off in (more relevant?) case where tastes for addictive good or present bias fluctuate over lifetime

Addition: Empirical Evidence

- Levy (2010) extends the model to infinitely-lived consumers with preferences which depend on their age and addiction level
 - ▶ Cigarette smoking attractive when young, not when mature
- A rational consumer expects to:
 - ▶ Always smoke,
 - ▶ Never smoke, or
 - ▶ Smoke until maturity
- A present-biased consumer may also expect to smoke only today

Addiction: Empirical Evidence



Addition: Empirical Evidence

- Because smoking is addictive, the probability of smoking (π) should be sensitive to both current and future cigarette prices
 - ▶ For young, time-consistent consumers, $\frac{\partial \pi / \partial p_{t+1}}{\partial \pi / \partial p_t} = \delta$
 - ▶ For young, present-biased consumers, $\frac{\partial \pi / \partial p_{t+1}}{\partial \pi / \partial p_t} \in \{0, \beta\delta, \delta\}$
- Only present-biased consumers ignore future prices

Addiction: Empirical Evidence

Table 2: Price Sensitivity Among Young Smokers

Panel A – Dependent Variable: 1(Smoker = 1), Linear Probability Model						
	(i)	(ii)	(iii)	(iv)	(v)	(vi)
	Age < 20	Age < 25	Age < 30	Age < 20	Age < 25	Age < 30
$\ln(\text{price})_t$	-1.853*** (0.226)	-1.256*** (0.135)	-1.019*** (0.104)	-1.362*** (0.525)	-0.994*** (0.334)	-0.744** (0.294)
$\ln(\text{price})_{t+1}$	-0.118 (0.161)	-0.426*** (0.096)	-0.545*** (0.075)	-0.021 (0.471)	-0.389 (0.289)	-0.575** (0.251)
Ratio of coefficients ^a	0.064 (0.093)	0.340** (0.110)	0.534*** (0.124)	0.016 (0.339)	0.392** (0.162)	0.773*** (0.051)
MSA Fixed Effects	Yes	Yes	Yes	Yes	Yes	Yes
MSA-Specific Trends	Yes	Yes	Yes	Yes	Yes	Yes
N, obs	5,289	11,647	17,975	5,289	11,647	17,975
Panel B – First-stage Estimates of Prices						
$\ln(\text{price})_t$	–	–	–	0.527*** (0.038)	0.516*** (0.036)	0.511*** (0.036)
$\ln(\text{taxes})_t$	–	–	–	0.194** (0.089)	0.161** (0.078)	0.151** (0.074)
Budget Gap ^b	–	–	–	–	–	–
$\ln(\text{price})_{t+1}$	–	–	–	0.551*** (0.054)	0.558*** (0.051)	0.565*** (0.050)
$\ln(\text{taxes})_{t+1}$	–	–	–	0.478*** (0.135)	0.454*** (0.134)	0.428*** (0.131)
Budget Gap ^b	–	–	–	–	–	–

Notes: Standard errors (in parentheses) are robust and clustered at the MSA level. All specifications control for age, age², race, and education and include both MSA dummies and MSA-specific time trends. * denotes significance at the 10% level; ** at the 5% level; and *** at the 1% level. Coefficients in Panel A are average marginal effects from a probit regression.

^a The ratio of the coefficients on $\ln(\text{price}_{t+1})$ and $\ln(\text{price}_t)$ will equal the net discount factor $\beta\delta$ if consumers are fully rational, or may equal 0 if consumers are sufficiently present- or projection-biased. Standard errors are calculated by the delta method.

^b Average percentage shortfall in state government budgets (general fund) within an MSA.

Addition: Empirical Evidence

- Older smokers seem aware that they will continue smoking
 - ▶ Only 5 percent of mature smokers expect to quit
 - ▶ Implication: $\frac{\partial \pi / \partial p_{t+1}}{\partial \pi / \partial p_t} \in \{\beta\delta, \delta\}$
- We can also decompose price shocks into permanent and transitory components, with the latter identified through agricultural conditions
 - ▶ For mature, time-consistent consumers, $\frac{\partial \pi_t / \partial p_t^P}{\pi_t / \partial p_t^P} = \frac{1}{1-\delta}$
 - ▶ For mature, present-biased consumers, $\frac{\partial \pi_t / \partial p_t^P}{\pi_t / \partial p_t^P} = \frac{1-(1-\beta)\delta}{1-\delta}$
- Present-biased consumers overreact to temporary price shocks

Addiction: Empirical Evidence

Table 3: Price Sensitivity Among Mature Smokers

Panel A – Dependent Variable: $1(Smoker = 1)$, Linear Probability Model				
	(i)	(ii)	(iii)	(iv)
	Age > 30	Age > 35	Age > 30	Age > 35
$\ln(price_t)$	-0.824*** (0.071)	-0.879*** (0.077)	-0.725*** (0.215)	-0.787*** (0.251)
$\ln(price_{t+1})$	-0.641*** (0.052)	-0.619*** (0.057)	-0.531*** (0.183)	-0.496** (0.213)
Ratio of Coefficients ^a	0.778*** (0.125)	0.704*** (0.122)	0.734*** (0.044)	0.630*** (0.074)
MSA Fixed Effects	Yes	Yes	Yes	Yes
MSA-Specific Time Trends	Yes	Yes	Yes	Yes
N. obs	40,436	34,775	40,436	34,775
Panel B – First-stage Estimates of Prices				
$\ln(price)_t$				
$\ln(taxes_t)$	-	-	0.494*** (0.035)	0.498*** (0.035)
Budget Gap ^b	-	-	0.146* (0.074)	0.132* (0.072)
$\ln(price)_{t+1}$				
$\ln(taxes_{t+1})$	-	-	0.550*** (0.048)	0.559*** (0.048)
Budget Gap ^b	-	-	0.398*** (0.138)	0.384*** (0.136)

Notes: Standard errors (in parentheses) are robust and clustered at the MSA level. All specifications control for age, age², race, and education and include both year dummies and MSA-specific time trends. * denotes significance at the 10% level; ** at the 5% level; and *** at the 1% level. Coefficients for in Panel A are average marginal effects from a probit regression.

^a The ratio of the coefficients on $\ln(price_{t+1})$ and $\ln(price_t)$ will equal the net discount factor $\beta\delta$. Standard errors are calculated by the delta method.

^b Average percentage shortfall in state government budgets (general fund) within an MSA.

Addiction: Empirical Evidence

Table 4: Permanent vs. Temporary Price Effects

Panel A – Dependent Variable: $1(Smoker = 1)$

	Age > 30		Age > 35		Age < 20
	(i)	(ii)	(iii)	(iv)	(v)
$\ln(p_t^P)$	-1.111*** (0.118)	-1.380*** (0.181)	-1.113*** (0.118)	-1.410*** (0.177)	-0.822*** (0.166)
$\ln(p_t^T)$	-0.214*** (0.044)	-0.217*** (0.068)	-0.220*** (0.045)	-0.225*** (0.068)	-0.333*** (0.112)
Ratio of Coefficients ^a	5.191*** (1.31)	6.359** (2.07)	5.059*** (1.26)	6.267** (1.97)	2.467 (1.11)
MSA Fixed Effects	Yes	Yes	Yes	Yes	Yes
Trend	Yes	No	Yes	No	No
Trends by MSA	No	Yes	No	Yes	Yes
N obs.	37,651	37,651	32,322	32,322	5,289
R ²	0.497	0.505	0.495	0.503	0.457

Addition: Empirical Evidence

- Estimated β between 0.7 and 0.83, significantly less than 1
- Estimated δ between 0.88 and 0.90, not significantly less than 1
- Model suggests optimal sin tax on cigarettes: \$2.20 to \$5.30
 - ▶ This is not too far from NY's current tax on cigarettes
- Exacerbating biases would necessitate a higher sin tax
 - ▶ Paper also considers impact of **projection bias** in predicting future tastes; we won't discuss this until later in the semester